


LESSON 18 SYNCHRONOUS MOTOR OPERATION AND APPLICATIONS

ET 332b
Ac Motors, Generators and Power Systems

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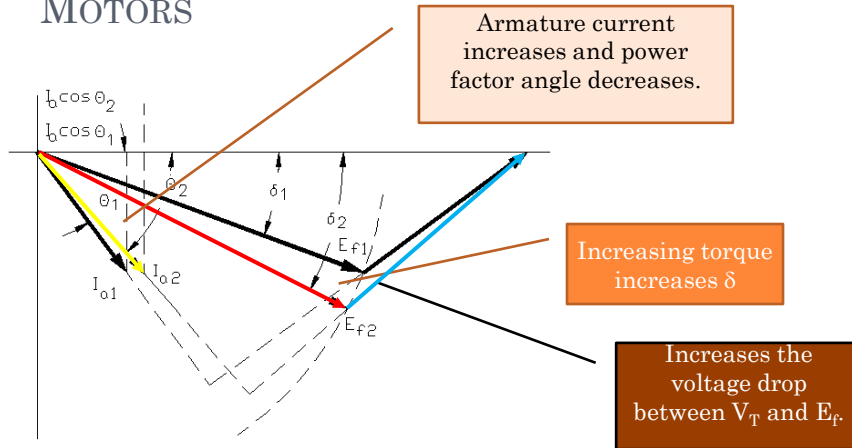
LEARNING OBJECTIVES

After this presentation you will be able to:

- Interpret a synchronous motor phasor diagram
- Explain how increasing mechanical load affects synchronous motor electrical characteristics
- Explain the difference between electrical and mechanical degrees in synchronous motor operation
- Compute the motor developed power and torque

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LOAD CHANGE ON SYNCHRONOUS MOTORS



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More active power enters the motor to maintain speed and develop the new value of torque

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ELECTRICAL DEGREES VS MECHANICAL DEGREES IN SYNCHRONOUS MACHINES

Electrical power/torque angle measurement is related to the rotor phase shift by the following formula

$$\delta_e = \delta_m \cdot \left[\frac{P}{2} \right]$$

Where: δ_e = phase shift in electrical degrees
 δ_m = mechanical phase shift in the rotating magnetic field of the rotor

Magnetic poles of synchronous and induction motors are 180 electrical degrees apart.

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ELECTRICAL DEGREES VS MECHANICAL DEGREES IN SYNCHRONOUS MACHINES

Example 18-1: A 100 hp, 460 V, 4-pole, wye-connected, cylindrical rotor synchronous motor is operating with a mechanical power angle of 5.5 degrees. Determine the electrical torque angle

Number of poles $P := 4$ Mechanical degrees $\delta_m := 5.5$

$$\delta_e := \delta_m \cdot \frac{P}{2}$$

Electrical torque angle for the motor $\delta_e = 11$ degrees

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Example 18-2: A 2-pole, 1000 hp, 6000 V, 3-phase wye-connected synchronous motor is operating at rated load and 0.8 leading power factor. At this operating point, the machine efficiency is 92%. The motor synchronous reactance is 4.2 ohms/phase Find:

- the motor power angle
- the power developed in the rotor
- the torque developed in the rotor (lb-ft)

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EXAMPLE 18-2 SOLUTION (1)

Need to find angle δ . Start by finding the armature current

$$P_g = 1000 \text{ hp} (746 \text{ W/hp}) = 746,000 \text{ W}$$

$$P_{in} = \frac{P_o}{\eta} = \frac{746,000}{0.92} = 811,000 \text{ W}$$

$$P_{in} = \sqrt{3} V_{LL} I_L \cos\theta \quad \cos\theta = F_p = 0.8$$

$$\frac{P_{in}}{\sqrt{3} V_{LL} \cos(\theta)} = |I_L| \quad |I_L| = \frac{811,000}{\sqrt{3}(6000)(0.8)} = 92.55 \text{ A}$$

Use power factor to find current phase angle

$$\theta = \cos^{-1}(F_p) = \cos^{-1}(0.8) = 36.9^\circ \text{ Leading}$$

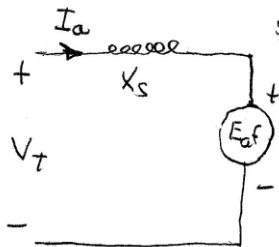
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EXAMPLE 18-2 SOLUTION (2)

Find E_{af}

Wye connect motor. Need phase voltage



Per Phase
model

$$V_T = \frac{6000 \text{ V}}{\sqrt{3}} = 3464 \text{ V}$$

$$E_{af} = \bar{V}_T - \bar{I}_a \bar{X}_s = 3464 \angle 0^\circ - 92.55 \angle 36.9^\circ (4.2 \angle 90^\circ)$$

$$E_{af} = 3464 \angle 0^\circ - 409.2 \angle 126.9^\circ$$

$$E_{af} = 3724.9 \angle -5^\circ$$

$$\delta = -5^\circ \text{ angle on } E_{af}$$

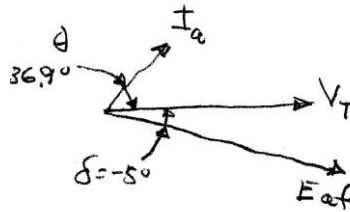
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EXAMPLE 18-2 SOLUTION (3)

b.) Find the developed power

$$P_D = 3 I_a V_T \cos(\theta - \delta) \quad \begin{array}{l} \text{angle between} \\ I_a \text{ and } E_{af} \end{array}$$



Compute
value

$$P_D = 3(97.55)(3464) \cos(36.9 + 5)$$

$$P_D = 759,538 \text{ W}$$

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EXAMPLE 18-2 SOLUTION (4)

c.) Use the developed power and motor speed to find torque

$$n_s = \frac{120f}{P} = \frac{120(60 \text{ Hz})}{2} = 3600 \text{ RPM}$$

$$T_D (\text{lb-ft}) = \frac{7.04(P_D)}{n_s} = \frac{7.04(759,538 \text{ W})}{3600 \text{ RPM}}$$

$$T_D = 1476 \text{ lb-ft}$$

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SYNCHRONOUS MACHINE OPERATION AND EXCITATION

Motor Operation: Increasing excitation increases magnetic field strength. Decreases power angle for a fixed load.
Increases Max power.

$$P_{in} = \frac{-3|\bar{V}_T| \cdot |\bar{E}_f|}{|\bar{X}_s|} \sin(\delta)$$

Increasing E_f increases P_{in} for fixed δ and V_T

Alternator operation: Increasing excitation also decreases δ which increases max power.

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MACHINE EXCITATION AND REACTIVE POWER TRANSFER

Increases in excitation also control reactive power transfer.

$$Q = \frac{3 \left[|\bar{V}_T| \cdot |\bar{E}_f| \cdot \cos(\delta) - |\bar{V}_T|^2 \right]}{|\bar{X}_s|}$$

For small δ , $\cos(\delta)$ approximately equal 1. Q mainly depends on magnitude of V drop. ($V_T - E_f$)

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TYPES OF MACHINE EXCITATION

$E_f = V_T$ Called **normal excitation**.
Synchronous motor supplies all magnetizing current to transfer power across air gap.

$E_f > V_T$ Called **overexcited**. Synchronous motor has surplus of reactive power. Supplies vars to power system. (leading F_p)

$E_f < V_T$ Called **underexcited**.
Synchronous motor requires reactive power from system to transfer power across air gap. (Lagging F_p)

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END LESSON 18

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